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A Wavelet Temporal Analysis of Polarimetric Decomposition Parameters over Alpine Glaciers

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Temporal Wavelet Framework for PolSAR Image Time Series

Outline

Case Study: Evolution of the Argentière Glacier

Conclusions and Future Developments





# Imaging with Synthetic Aperture Radar

#### Passive optical sensors:

- For useful data, the two scenes should have:
  - Sunlight condition;
  - Clouds absence.

✓ "Human-friendly" images.



#### **Microwave active sensors:**

- Acquisitions are independent from sunlight and weather conditions.
- Image interpretation is not straightforward.



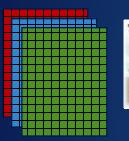


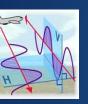




# Information Enhancement in SAR imagery

- A large part of SAR imagery presents spatial resolution of decades of meters and a single polarimetric channel.
- ✓ This information has been largely exploited in the literature.
- The recent technological trend has moved to the acquisition of data with more polarimetric channels.





#### Polarimetric SAR (PolSAR) imagery

- Two (i.e., dual-pol) or four (i.e., full-pol) polarimetric channels;
- Polarimetric scattering discriminate larger number of targets.



Single-pol SAR image of Los Angeles (HH)



Full-pol SAR Pauli RGB image of Los Angeles (R: HH-VV; G: HV; B:HH+VV)





### Motivation

- The continuous acquisition of dual- and full-polarimetric SAR images open novel opportunities for exploiting image time series for monitoring applications.
- The literature proposed some methodologies for exploiting single-pol SAR image time series for multi-temporal CD analysis.
- The polarimetric multi-temporal information has been mainly exploited for the analysis of temporal trend of features in specific applications (e.g., snow monitoring or crop monitoring).

Open issue: the use of full-polarimetric information in image time series has been poorly exploited for detecting changes with different evolution.



### Aim of the contribution

✓ The proposed contribution aims at defining a joint arithmetic-geometric wavelet framework for the analysis of full-polarimetric image time series.

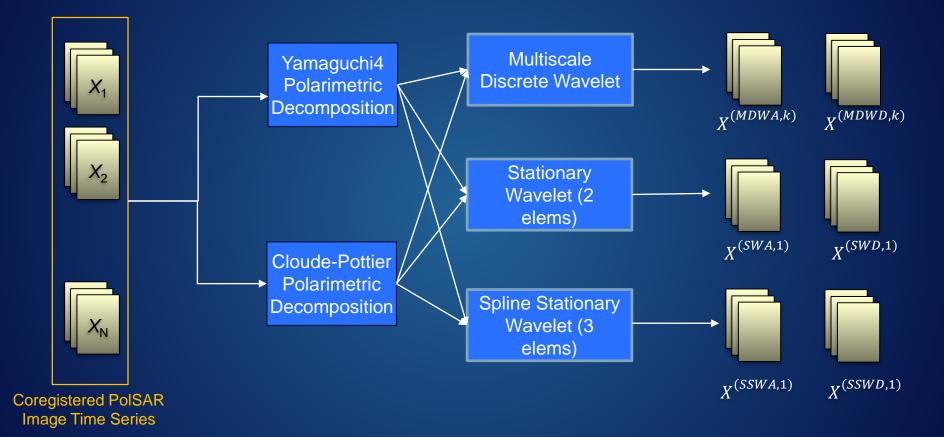
#### ✓ The framework includes:

- The selection of polarimetric decomposition features carrying the relevant scattering information of the targets.
- The selection of wavelet transforms relevant for the sparse representation of the multi-temporal decomposition features.
- ✓ The information in the framework both:
  - Separates natural classes based on their multi-temporal content.
  - Detectes multi-temporal changes and characterize their evolution.
- The contribution will test the proposed framework on real multitemporal PolSAR dataset acquired from Radarsat-2 mission over the Argentière glacier.





### Proposed approach





## **Polarimetric Scattering Information**

✓ Scattering information can be represented with the Pauli scattering vector k<sub>p</sub>.

✓ Three main mechanisms associated:

- Double bounce (HH-VV)
- Volume scattering (HH+VV)
- Surface scattering (HV)
- Distributed targets are represented with average scattering information of Coherency matrix *T* or its polarimetric decompositions.
- Yamaguchi4 decomposition (Y4D) considers the scattering combination of different mechanisms [1].

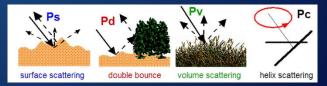
$$k_p = \frac{1}{\sqrt{2}} [S_{hh} + S_{vv}, S_{hh} - S_{vv}, 2S_{hv}]$$



$$T = \langle k_p, k_p \rangle = \begin{bmatrix} T_{11} & T_{12} & T_{13} \\ T_{21} & T_{22} & T_{23} \\ T_{31} & T_{32} & T_{33} \end{bmatrix}$$

Coefficients for scattering power  $T = (f_s T_s) + (f_d T_d) + (f_v T_v) + (f_c T_c)$ 

Coherency associated to elementary targets



[1] Yamaguchi, Y., et al. "Four-component Scattering Power Decomposition with Rotation of Coherency Matrix." *IEEE Transactions on Geoscience and Remote Sensing* 49.6 (2011): 2251-2258.



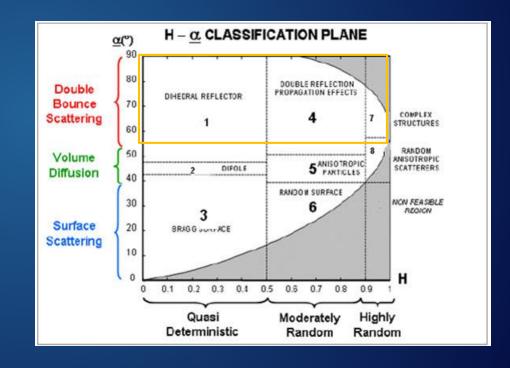


### **Eigen-based Decomposition**

- ✓ Cloude-Pottier decomposition (CPD) is applied on *T*, obtaining eigenvectors  $v_i$  and eigenvalues  $\lambda_i$ .
- ✓ Three parameters are derived [2]:
  - Entropy *H*: measuring scattering degree of randomness.
  - Anisotropy *A*: measuring the importance of second dominant mechanism.
  - Mean alpha *α*: measuring the average scattering mechanism.

$$H = \sum_{i=1}^{3} \frac{\lambda_i}{\sum_{j=1}^{3} \lambda_j} \log\left(\frac{\lambda_i}{\sum_{j=1}^{3} \lambda_j}\right)$$
$$A = \frac{\lambda_2 - \lambda_3}{\lambda_2 + \lambda_3} \qquad \alpha = \sum_{i=1}^{3} \frac{\alpha_i \lambda_i}{\sum_{j=1}^{3} \lambda_j}$$

 $v_i = [\cos \alpha_i, \sin \alpha_i \cos \beta_i e^{i\delta_i}, \sin \alpha_i \sin \beta_i e^{i\gamma_i}]^T$ 



[2] Cloude, S. R., and Pottier, E. "An Entropy Based Classification Scheme for Land Applications of Polarimetric SAR." *IEEE transactions on geoscience and remote sensing* 35.1 (1997): 68-78.



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### **Temporal Wavelet Framework**

- ✓ Let us consider a signal temporal sequence  $X_t$  for a fixed position (*x*,*y*).
- ✓ L-taps wavelet filter with response  $W_b$  is applied on it.
- ✓ Two filters for approximation (b = A) and detail (b = D) wavelet component are considered.

#### **Arithmetical Wavelet**

✓ It is applied under the assumption of additive Gaussian noise.

$$X_{t-l}^{(Wab,k+1)}(x,y) = \sum_{l=0}^{L-1} W_b(l) X_{t-l}^{(WaA,k)}(x,y)$$

**Geometrical Wavelet** 

✓ It is applied in presence of variables characterized by multiplicative noise [3].

$$X_{t-l}^{(Wgb,k+1)}(x,y) = \exp\left(\sum_{l=0}^{L-1} W_b(l) \log\left(X_{t-l}^{(WgA,k)}(x,y)\right)\right)$$

[3] Atto, A.M., et al. "Wavelet Operators and Multiplicative Observation Models—Application to SAR Image Time-series Analysis." *IEEE Transactions on Geoscience and Remote Sensing* 54.11 (2016): 6606-6624..

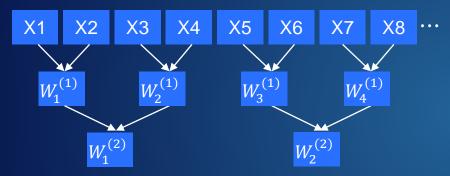




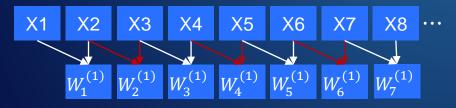
#### Wavelet Strategies

Without loss of generality, let us consider arithmetical wavelet on the time series. Selection of Haar wavelet family, with coefficients  $\frac{1}{\sqrt{2}}[1,1]$  and  $\frac{1}{\sqrt{2}}[1,-1]$ .

Multi-scale DWT on two scale levels (MDW)



Stationary wavelet on sequential pairs (SW)



$$\begin{split} X_{t}^{(MDWa,k)} &= \left\{ X_{t}^{(MDWaA,k)}, X_{t}^{(MDWaD,k)} \right\} \\ X_{t}^{(MDWaA,k+1)} &= \frac{1}{\sqrt{2}} \left( X_{t-1}^{(MDWaA,k)} + X_{t}^{(MDWaA,k)} \right); \\ X_{t}^{(MDWaD,k+1)} &= \frac{1}{\sqrt{2}} \left( X_{t-1}^{(MDWaA,k)} - X_{t}^{(MDWaA,k)} \right); \end{split}$$

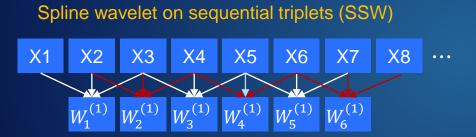
$$X_{t}^{(SWa,1)} = \left\{ X_{t}^{(SWaA,1)}, X_{t}^{(SWaD,1)} \right\}$$
$$X_{t}^{(SWaA,1)} = \frac{1}{\sqrt{2}} \left( X_{t-1} + X_{t} \right);$$
$$X_{t}^{(SWaD,1)} = \frac{1}{\sqrt{2}} \left( X_{t-1} - X_{t} \right);$$

Difference (ratio) comparison operator equivalent to the Haar arithmetical (geometrical) temporal wavelet.



### Wavelet Strategies

Let us assume the use of arithmetical wavelet on the time series. Selection of Haar wavelet family, with coefficients  $\frac{1}{\sqrt{2}}[1,1]$  and  $\frac{1}{\sqrt{2}}[1,-1]$ .



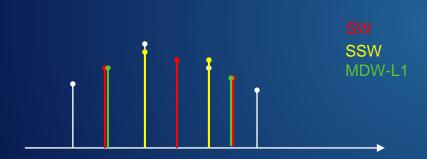
$$\begin{aligned} X_t^{(SSWa,1)} &= \left\{ X_t^{(SSWaA,1)}, X_t^{(SSWaD,1)} \right\} \\ X_t^{(SSWaA,1)} &= \frac{1}{\sqrt{6}} \left( X_{t-2} + 2X_{t-1} + X_t \right); \\ X_t^{(SSWaD,1)} &= \frac{1}{\sqrt{6}} \left( X_{t-2} - 2X_{t-1} + X_t \right); \end{aligned}$$



# Approximation and Detail Components

#### Approximation

 It can be used for a robust separation of the classes present in the image using the multi-temporal infomration.



#### Detail

- It provides information about the change in the feature.
- ✓ For SW and MDW, the change is associated to a temporal variation.



 For SSW the change is associated to a variation of the variation rate.





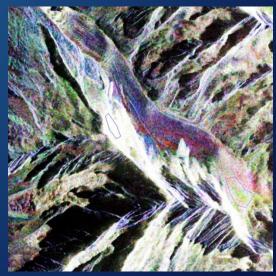
### Experimental setup

Scene: Argentière glacier area (France)

- 7 Multi-temporal Full-polarimetric SAR images from Radarsat-2 acquired in January-June, 2011
- ✓ Based on a preliminary similarity analysis with Gaussian and Gamma distribution, the wavelet selection led:
  - Arithmetical wavelet for CPD features;
  - Geometrical wavelet for Y4D features.

✓ Given the short temporal size of the time series,
MDW strategy was not taken into account here.



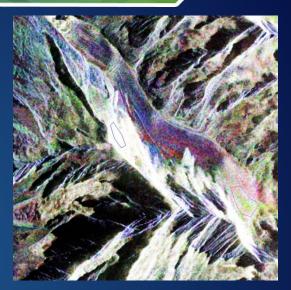


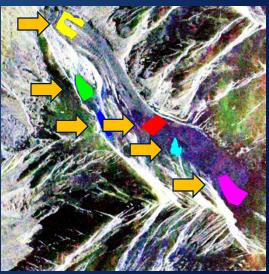


### Experimental setup

Scene: Argentière glacier area (France)

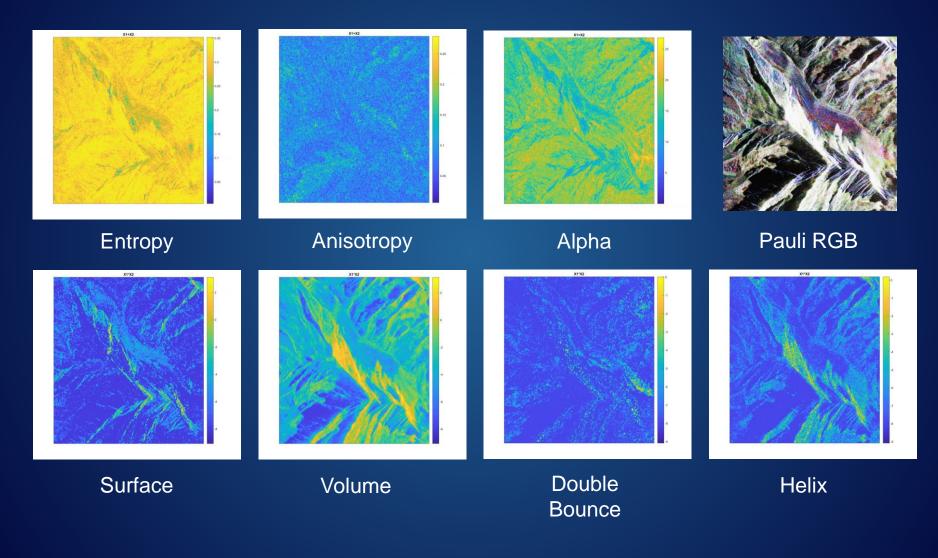
- 7 Multi-temporal Full-polarimetric SAR images from Radarsat-2 acquired in January-June, 2011
- Six regions of interest considered for local analysis.
  - Rognon glacier (north-south);
  - Ablation of Argentière (2400-2700m);
  - Avalanche area;
  - Accumulation area of the upper Argentière.





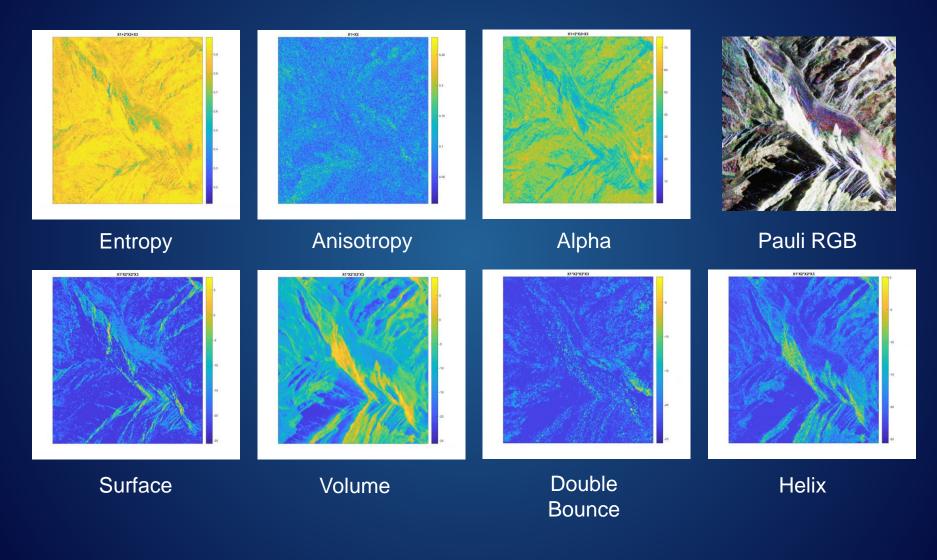


### **Experimental Results – SW Approximation**



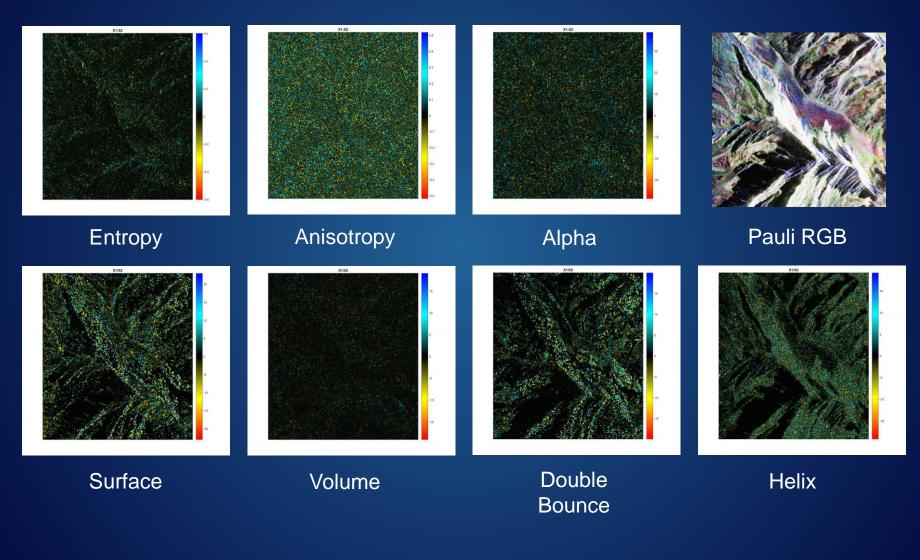


### **Experimental Results – SSW Approximation**



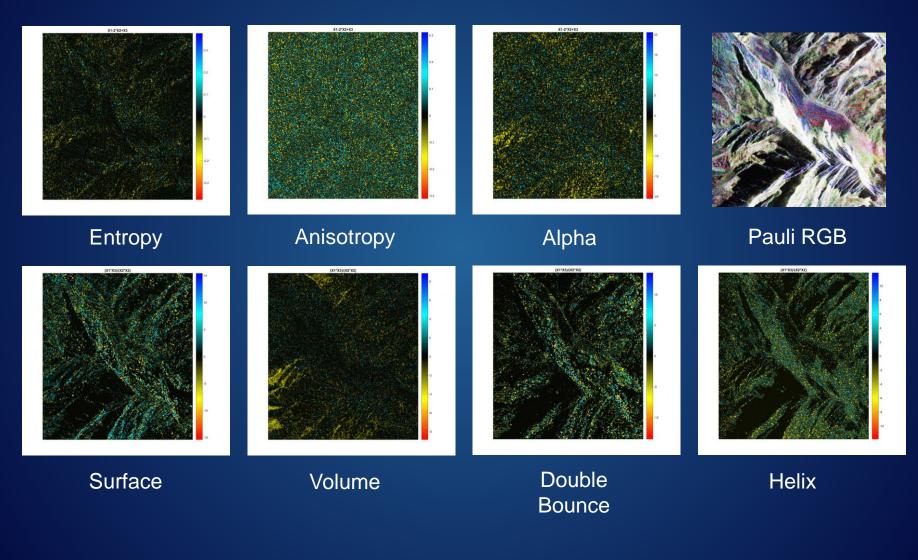


### **Experimental Results – SW Detail**



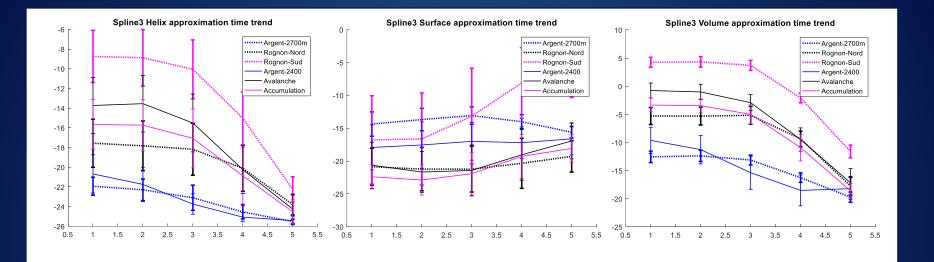


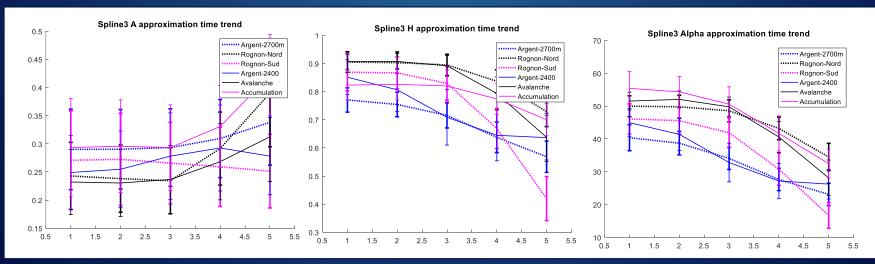
### **Experimental Results – SSW Detail**





## Experimental results – Local Analysis

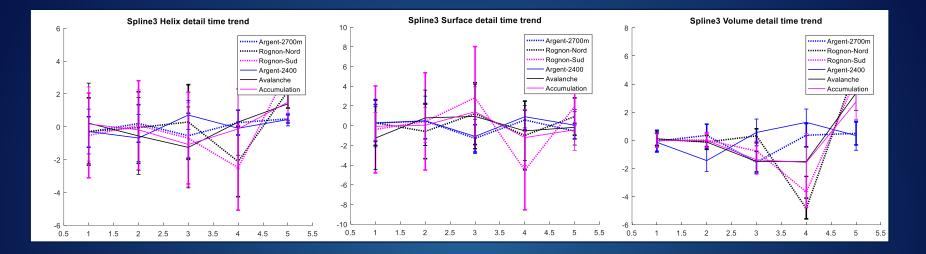


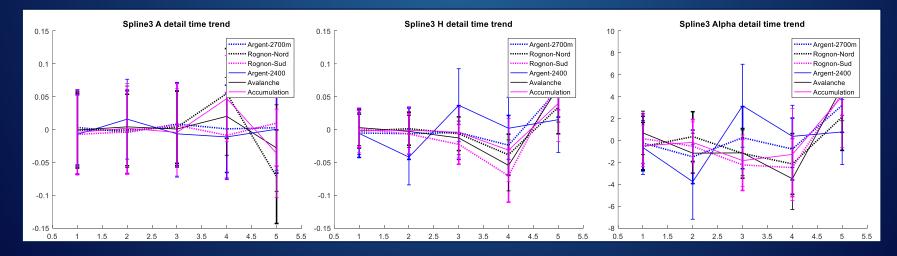




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# Experimental results – Local Analysis









## Time-series Spatio-temporal Descriptors

#### Approximation

- It can be used for a robust separation of the classes present in the image using the multi-temproal infomration.
- An Overall Class Separation Indicator (*OCSI*) is defined for measuring the global effectiveness of the class separation.

 $OCSI(w, X) = \sum_{c1} \sum_{c2 \neq c1} \sum_{t} \frac{\left| \mu_{wXt}^{(c1)} - \overline{\mu_{wXt}^{(c2)}} \right|}{\left[ \left( \sigma_{wXt}^{(c1)} \right)^2 + \left( \sigma_{wXt}^{(c2)} \right) \right]}$ 

#### Detail

- It provides information about the change or the change velocity.
- ✓ Two indices are defined:
  - Change Rate R<sub>C</sub>, describing the smoothness degree;
  - dynamicity index  $\delta$ , describing the overall change in the time series.

$$\delta(w, X) = \sum_{c} \sum_{t} \frac{\left| \mu_{wXt}^{(c1)} \right|}{\left( \sigma_{wXt}^{(c1)} \right)}$$

max



 $R_C(w,X) = \sum_{k=1}^{\infty}$ 

# Experimental results – Local Analysis

Overall Class Separation Indicator	SW	SSW	MDW
H	101.1425	87.7184	67.0577
A	37.3631	30.8456	25.4238
$\alpha$	115.5167	102.6236	74.0808
Aggregate (Eigen-based)	84.6741	73.7292	55.5208
$f_d$	24.0888	20.5587	15.1726
$f_h$	114.4109	122.2092	68.6441
$f_s$	30.5785	78.1185	62.2078
$f_v$	284.6874	253.6868	171.4954
Aggregate (Power-based)	129.4414	118.6433	79.38



# Experimental results – Local Analysis

Dynamicity	SW	SSW	MDW	
H	3.4835	2.7232	2.2891	
A	1.1174	0.9527	0.7635	
$\alpha$	4.4582	3.0593	2.7089	
Aggregate (Eigen-based)	3.0197	2.2451	1.9205	
$f_d$	2.2224	1.4850	1.2574	
$f_h$	8.0742	5.1397	3.8863	
$f_s$	2.4793	1.8746	0.7537	
$f_v$	7.2983	6.9903	4.7206	
Aggregate (Power-based)	5.0186	3.8724	2.6545	

Change Rate	SW	SSW	MDW
H	0.5976	0.4709	0.8755
A	0.4974	0.4359	0.7167
$\alpha$	0.4663	0.4210	0.7601
Aggregate (Eigen-based)	0.5204	0.4426	0.7841
$f_d$	0.3917	0.5709	0.6901
$f_h$	0.5546	0.6227	0.8994
$f_s$	0.3930	0.3824	0.5540
$f_v$	0.5784	0.4855	0.8752
Aggregate (Power-based)	0.4794	0.5154	0.7547



# Conclusions and Future Developments

#### Conclusions

- We presented a novel framework based on temporal wavelet transform for analysis of polariemtric image time series.
- The framework considered different wavelet strategies and polariemtric features for discriminating both different temporal evolution on the changes and multi-temporal classes.
- A sensitivity analysis on the features was conducted for looking at those more sensitive to temporal changes.
- Experimental results in glacier evolution scenario showed the effectiveness of the proposed framework in separating classes and tracking change evolution.

#### **Future Developments**

- ✓ Integrating the framework with a unsupervised/supervised CD strategy.
- Combinating features from the application of different wavelet families.
- Exploiting wavelet decomposition in both spatial and temporal domain.

